

What is the slope?

$$\text{SLOPE} = \frac{y_2 - y_1}{x_2 - x_1} = \frac{-2 - 0}{8 - 5}$$

What is the rise?

-2

What is the run?

3

$$= \frac{-2}{3}$$

Negative

~~rise~~
~~run~~

c
d

-
-

Lesson 7: word problems

4.5 Determine the characteristics of the graphs of linear relations, including the: • intercepts • slope • domain • range.

- 1) The amount of money earned by an employee, E in dollars, varies directly with the number of hours, h , worked. The function can be represented by the following equation $E = \$8.25h$
- a) Sketch a graph of the function. Label the axis. Identify the windows used.


b) What is the slope, and what does it represent?

- 2) A helicopter is traveling at maximum speed toward a boat in distress. The equation that relates its distance D , in nautical miles, away from the boat to the time traveled, t in minutes, is $D = -0.5t + 23$
- a) Sketch a graph of the function. Label the axis. Identify the windows used.

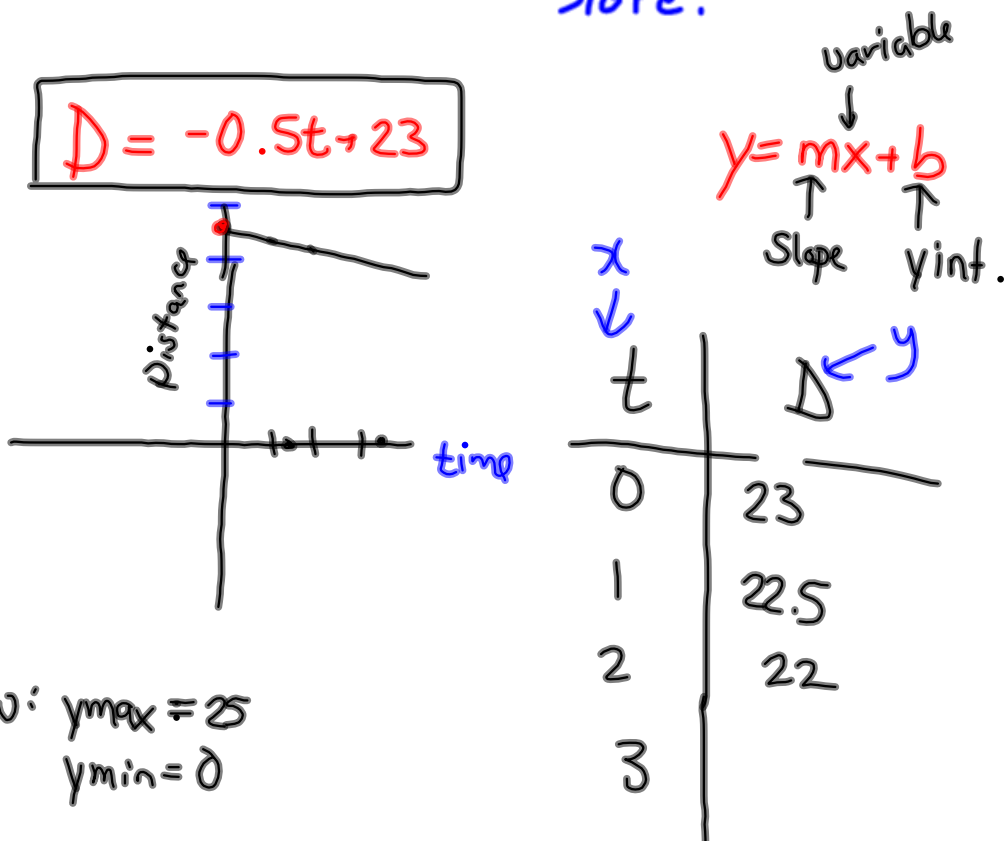
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$$y = mx + b$$


- 2) A helicopter is traveling at maximum speed toward a boat in distress. The equation that relates its distance D , in nautical miles, away from the boat to the time traveled, t in minutes, is $D = -0.5t + 23$ \leftarrow y intercept
- a) Sketch a graph of the function. Label the axis. Identify the windows used.



Slope? What does it represent?

$$y = -0.5t + 23$$

$$\text{Slope} = -0.5 \quad \frac{\Delta y}{\Delta x} = \frac{\text{dist (miles)}}{t \text{ (min)}}$$

c) What is the y-intercept and what does it represent?

23 or (0, 23) it tells us that... at the beginning, miles/min (speed)

Set $x=0$: $y = -0.5(0) + 23$ the distance is 23 miles.
 $= 23$

d) What is the x-intercept and what does it represent?

set $y=0$: $0 = -0.5t + 23$ $t = 46$. (46, 0)

$$\frac{-23}{-0.5} = \frac{-0.5t + 23 - 23}{-0.5}$$

tells us when the helicopter reaches boat.

3) The cost of renting a car is calculated using a fixed cost and a variable cost. The function is represented by $C = 0.10d + 20$, where C is the total cost and d is the distance in kilometers.

a) Sketch a graph of the function. Label the axis. Identify the windows used.

b) What is the slope, and what does it represent?

c) What is the y-intercept and what does it represent?

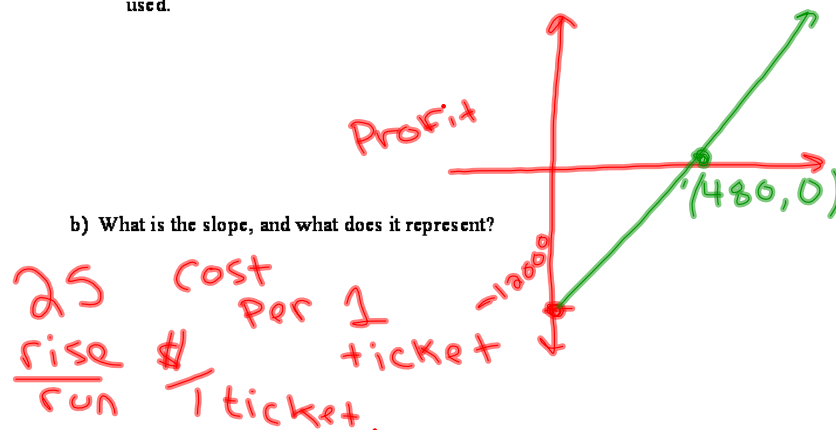
- 4) A car is traveling south towards Hay River. The distance in kilometers that the car is north of Hay River is represented by d , and the time traveled is t , hours. The equation is $d = -80t + 240$.
- a) Sketch a graph of the function. Label the axis. Identify the windows used.

b) What is the slope, and what does it represent?

c) What is the y-intercept and what does it represent?

d) What does the intercept with the x-axis represent?

- 5) A local promoter is organizing an outdoor summer music concert in the park. The Profit, P dollars, is a function of the numbers of tickets t , sold. The equation is $P = 25t - 12\,000$
- a) Sketch a graph of the function. Label the axis. Identify the windows used.



(C) y intercept = -12 000
 the debt you have
 from putting off the
 concert

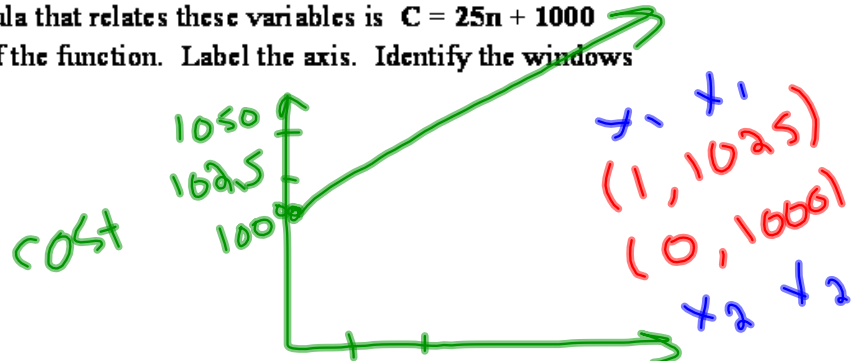
(D) x intercept = 480
 that is the # of tickets
 I have to sell in order
 to make a profit.

c) What is the y-intercept and what does it represent?

d) What is the x-intercept and what does it represent?

6) The cost C in dollars of a banquet depends on the number n of people attending. A formula that relates these variables is $C = 25n + 1000$

a) Draw a graph of the function. Label the axis. Identify the windows used.



b) What is the slope, and what does it represent?

Slope = 25 $\frac{\$}{\# \text{ of PP}}$

$$\frac{\text{rise}}{\text{run}} = \frac{y_2 - y_1}{x_2 - x_1} = \frac{1000 - 1025}{0 - 1} = \frac{-25}{-1}$$

c) What is the y-intercept and what does it represent?

1000
initial cost.

Cost Per Person = $\frac{-25}{1}$